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$$\bullet \sigma_{p,j}(\sigma_{p-m,j}s^m)_{|X_0}\mathcal{X}p\geq m$$

$$\bullet \int_{\mathcal{X}}\frac{\sum_j|\sigma_{p,j}|^2}{\sum_j|\sigma_{p-1,j}|^2}\leq Cp\geq 1$$

$$\ddot{o}L^2\int_{\mathcal{X}}\left(\sum_j|\sigma_{p,j}|^2\right)^{1/p}\leq Cplim\frac{1}{p}\Theta_{\mathcal{A}}=0$$

$$\begin{array}{l} \ddot{a}B_\varepsilon\rightarrow\mathcal{X}\\ \mathcal{A}\rightarrow\mathcal{X}L^2U_\varepsilon\subset\mathcal{X}\times\overline{\mathcal{X}}pr_1:U_\varepsilon\rightarrow\mathcal{X}\pi:\mathcal{X}\rightarrow\Delta\\ \ddot{a}(\mathcal{X},\omega)U_{\rho\varepsilon\rho}>1U_\varepsilon \end{array}$$

$$\mathfrak{H}^{\geq 0}\mathfrak{n}\alpha\in H^{1,1}_{BC}(X,R)(1,1)\partial\overline{\partial}$$

$$\begin{array}{l} X\ddot{a}\dim X=n\alpha,\beta\in H^{1,1}(X,R)\\ \alpha=c_1(L)\alpha,\beta\\ \alpha\beta\ddot{o}XVol(\alpha-\beta)>0\alpha^n-n\alpha^{n-1}\cdot\beta>0\\ (L_m,h_m) \end{array}$$

$$U_\varepsilon\overline{\gamma}_m^{0,2}=\overline{\partial}v_mv_m\rightarrow 0pr_1^*L_m\Theta_{pr_1^*L_m}\simeq m\,pr_1^*\alpha$$

$$L^2(pr_1)_*L^2$$