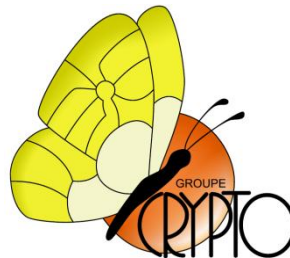


# *Side channel attacks evaluation : Template VS Machine Learning*

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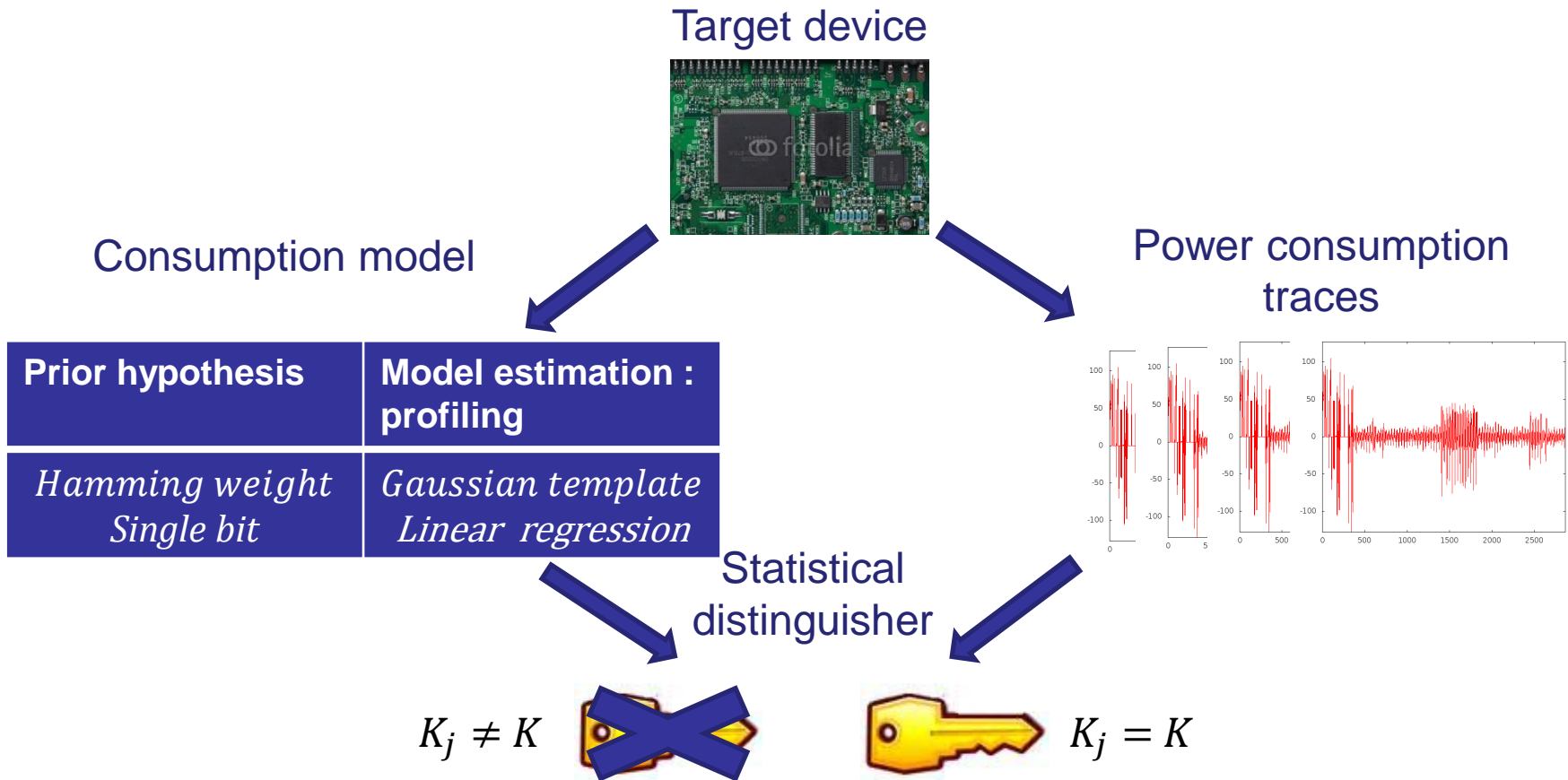
# Outline

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- Introduction to SCA
- Standard tools
- Machine learning
- General Intuition
- Framework and observations
- Future work



# 1. Overall Functioning



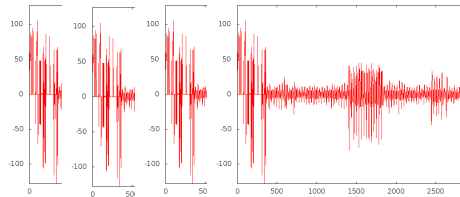
# 1. Profiling: worst case scenario

Device copy of the attacker



Different messages

Different keys



Profile for all target values  
(e.g.  $M \oplus K$ )

- Motivation :
  - worst case scenario
  - Kerckhoffs's principle



# 2. Template attack

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$$f_{\mu, \Sigma}(x) = \frac{1}{(2\pi)^{N/2} |\Sigma|^{1/2}} e^{-\frac{1}{2}(x-\mu)^T \Sigma^{-1} (x-\mu)}$$

- Profiling: Two parameters to estimate
  - For each  $M \oplus K$  value, the associated mean  $\mu$
  - An overall noise covariance matrix  $\Sigma$
- Attack:
  - For an attack trace  $l$ , for each key candidate  $k_i$ , compute:

$$P(K_i | l) = \frac{P(l | K_i) P(K_i)}{P(l)} = \frac{f_{\mu_i, \Sigma}(l)}{\sum_j f_{\mu_j, \Sigma}(l)}$$

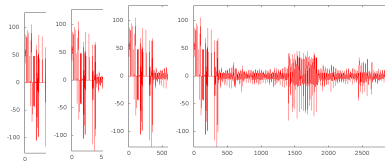


# 2. Linear regression

- Assume that each physical observables come from a deterministic function  $H$  and random noise  $R$ :

$$I(x, k) = H(x, k) + R$$

- Given the basis  $(g_1, g_2, \dots, g_n)$  and some observations, find the best  $a_i$  which approximate  $H$ :



Traces from  
different known  
inputs  $x, k$



$$h(x, k) = a_0 + \sum_{i=1}^n g_i a_i$$

Example

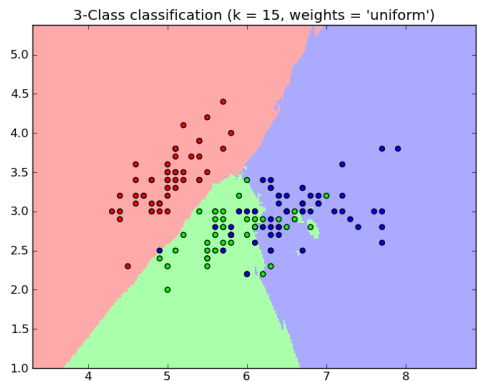
- $g_i$  represent the bits of  $x \oplus k$  (LR9)
- All bit combination (LR256)



# 3. Machine learning

## Supervised

- Two steps
  - Learning with labeled data
  - Classification



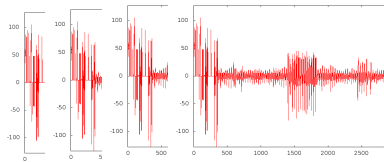
- Examples :
  - SVM, Random Forest

## Unsupervised

- One step
- Often probabilistic
- Weaker than supervised
- No need of labeled data
- Examples :
  - Kmeans
  - Kmedoids

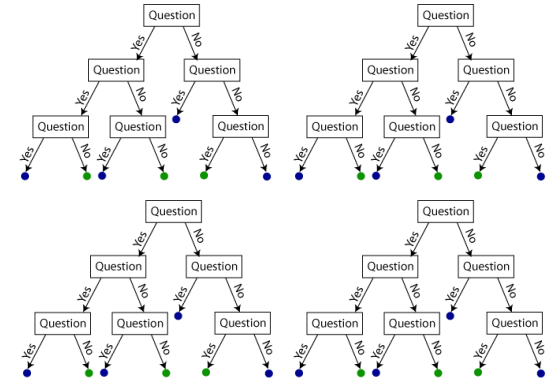


# 3. Random forest

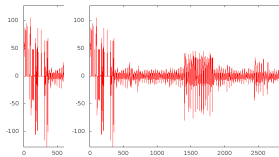


Traces from different known inputs  $x, k$

Creates different decision trees with random subset of traces



Asks for classification



Attack traces with unknown key  $K$

Collects the number of votes for each tree



Recover  $K$





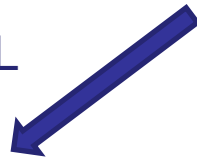
# 4. General intuition

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Device with a real leakage function  $L$

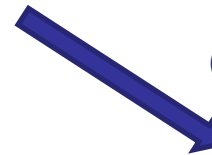
Simple  $L$



- $L$  is explained by a low number of explicative variables:

LR9 is the most powerful tool

Complex  $L$



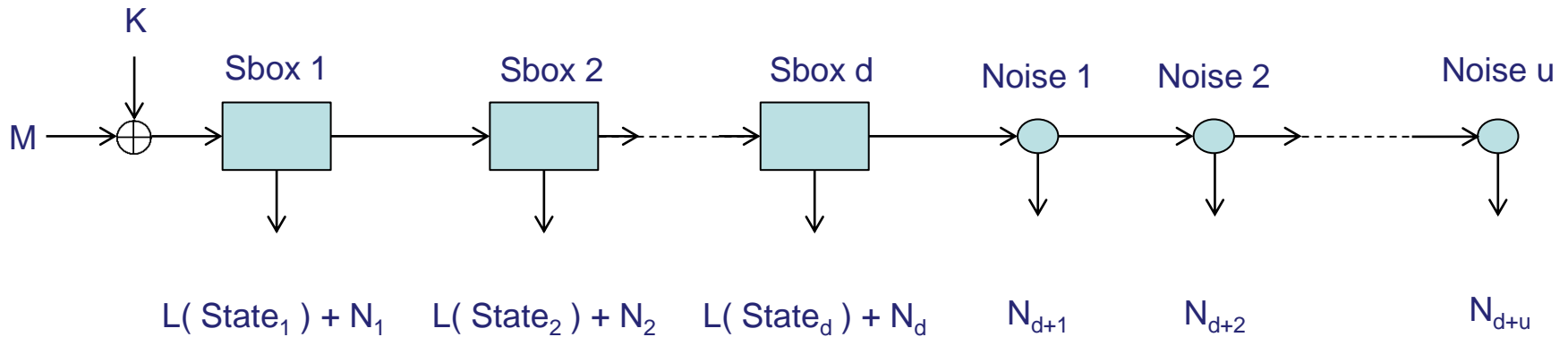
- High number of explicative variables
- Black box

TA ( $\approx$ LR256) is needed



# 5. Framework

Leakage simulation:



$L$  : Linear leakage function (normalized)

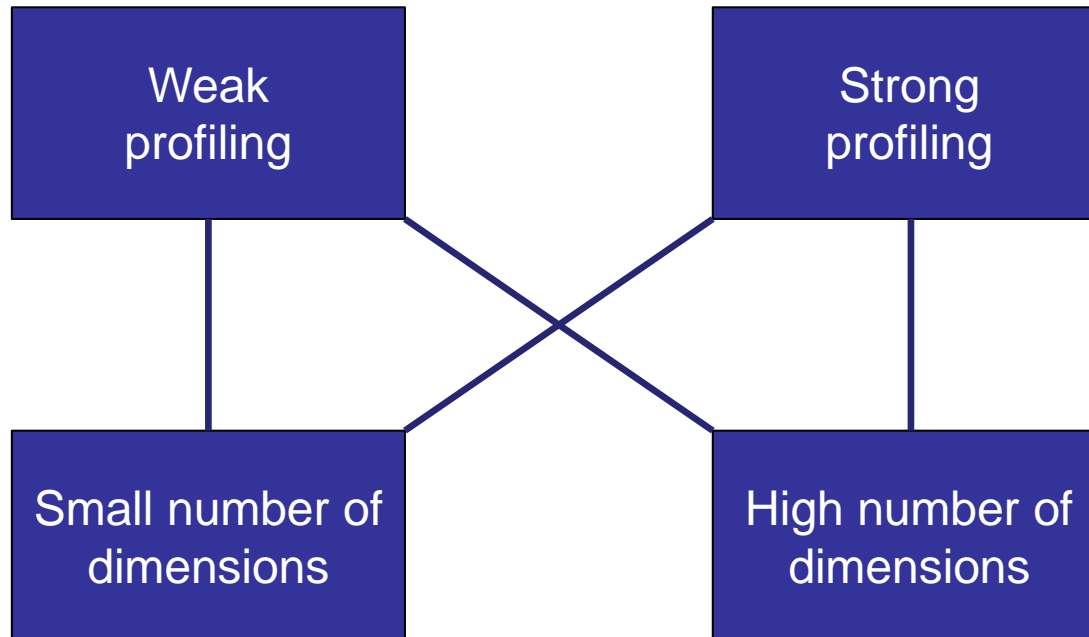
$N_i$  : Random gaussian variable at time  $i$   
(variance  $\sigma^2$ , mean 0)



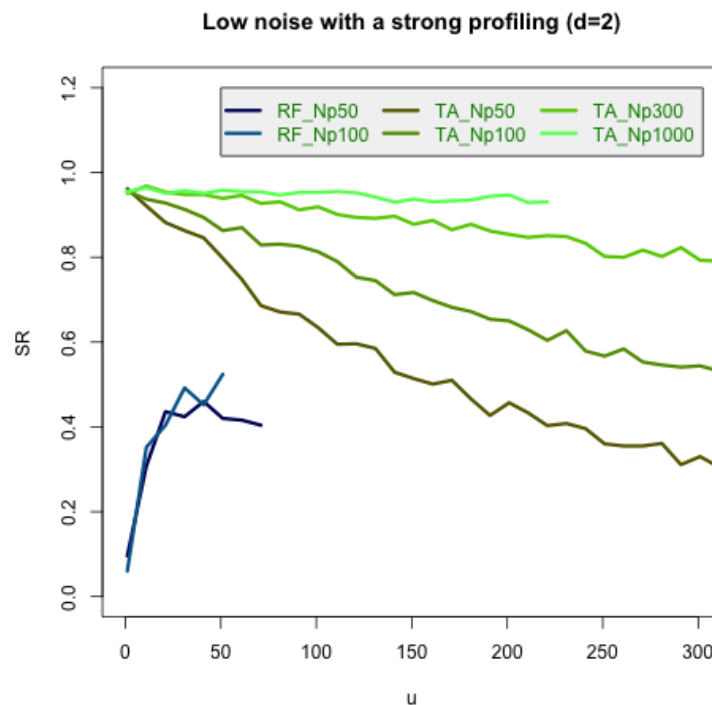
# 5. Framework

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## Template versus Random Forest



# 3. Strong profiling

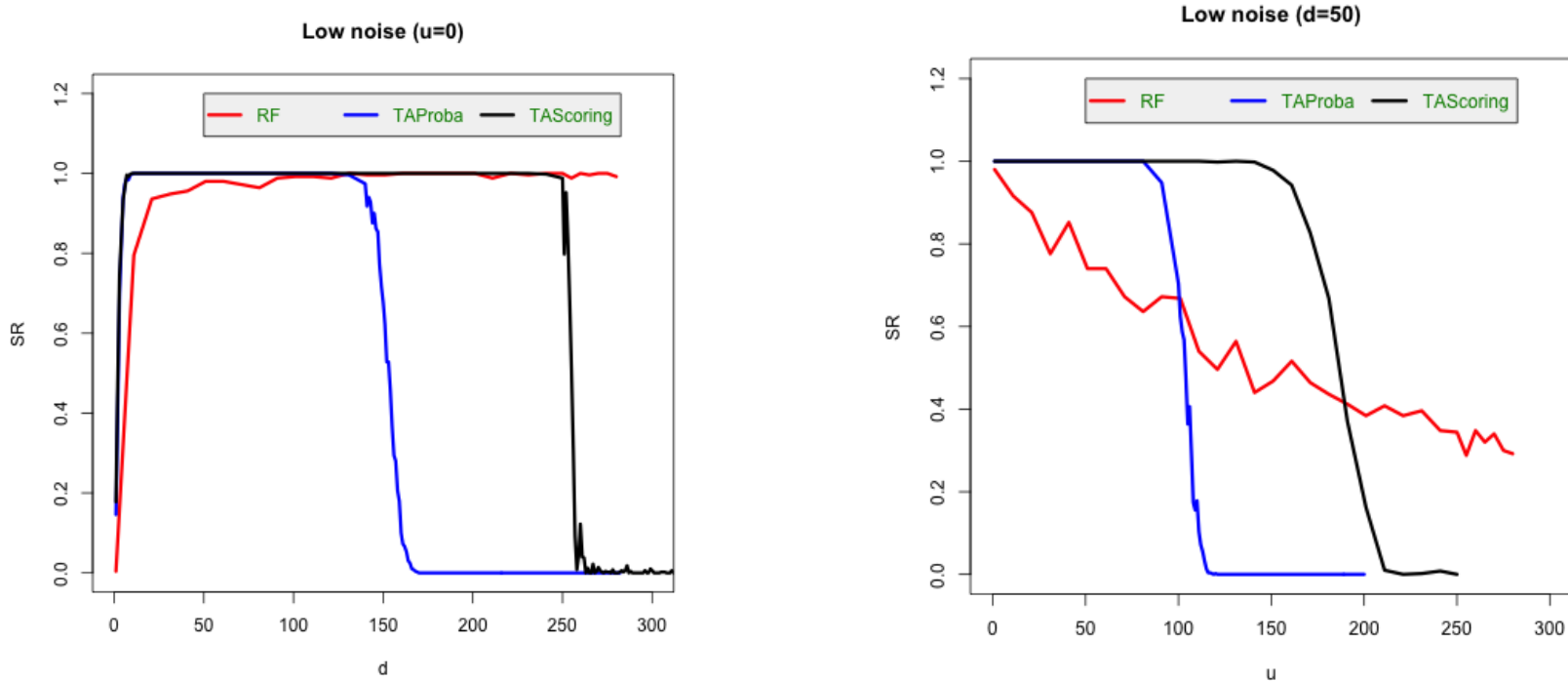


d = 2, u on x axis

50 attack traces,  $\sigma^2 = 1$ .



# 3. Low profiling



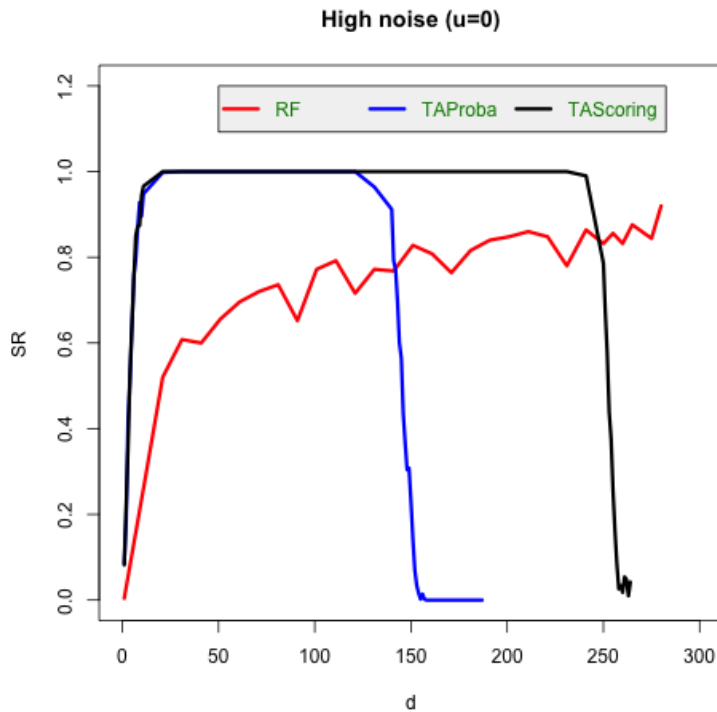
Left :  $u = 0$ ,  $d$  on x axis

Right :  $d = 50$ ,  $u$  on x axis

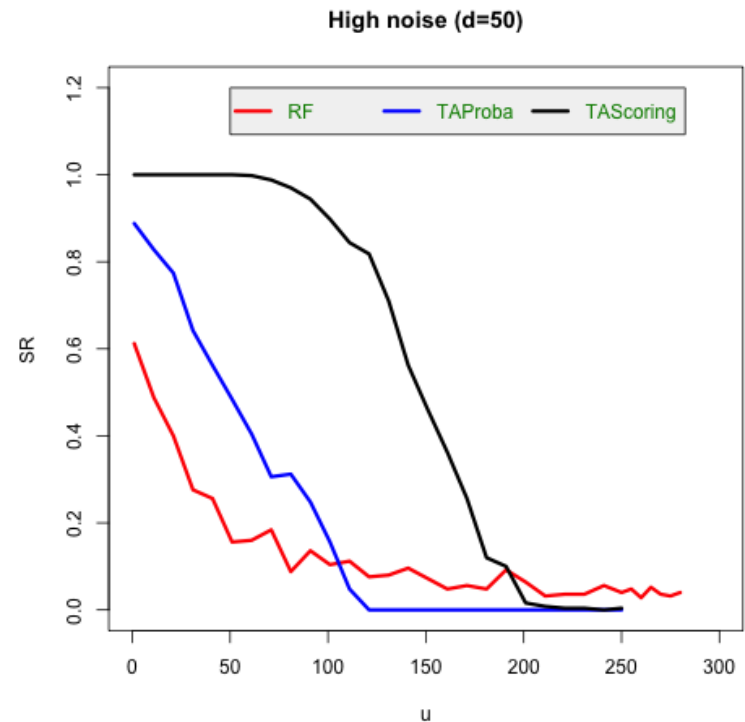
10 attack traces, 2 profiling traces per value,  $\sigma^2 = 1$ .



# 3. Low profiling



Left : u = 0, d on x axis



Right : d = 50, u on x axis

50 attack traces, 2 profiling traces per value,  $\sigma^2 = 1$ .



# 6. Future work

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- Extend the analysis to masking
  - Profiling needs more traces
- Give a fair comparison in terms of complexity (time/memory)
- See how the use of scoring impacts the master key enumeration



# Thank you for your attention



## Any questions ?

